



CS M146 Discussion: Week 1 Course logistics, Math Review Exercise

Junheng Hao Friday, 1/8/2021



Roadmap



- Course Logistics
- Math Prep: Calculus, linear algebra, probability and optimization
- Q&A





- Course schedule and logistics
 - Syllabus (tentative) on CCLE
 - Logistics discussed in the first lecture (Week 1, Monday)
- CCLE
 - Slides, lecture recordings, and other private course materials
- Online forum (Campuswire) → Invitation sent!
 - Link: <u>https://campuswire.com/p/GB5E561C3</u> Passcode: 3428
 - Slides, QA and chat rooms.
 - If you have any questions, you may DM me on Campuswire or write me emails.
- GradeScope → Invitation sent!
 - Submissions of problem set (total 4) and quizzes
 - Final exam



Course logistics



- Office hours & Zoom links (time in PST)
 - Sriram Sankararaman (<u>sriram@cs.ucla.edu</u>) Wednesday 3:00-4:00pm @Zoom
 - Junheng Hao (<u>haojh.ucla@gmail.com</u>) Mondays 3:00-5:00 pm @Zoom
 - Danfeng Guo (<u>lyleguo@ucla.edu</u>) Tuesdays 4:00pm-6:00pm @Zoom
 - Andrei Storozhenko (<u>storozhenko@cs.ucla.edu</u>) Tuesdays & Thursdays 11:00-12:00 am @Zoom
- Discussion 1C by Junheng Hao:
 - Time: 12-1:50 pm, Fridays.
 - Slides are posted on: <u>https://www.haojunheng.com/teaching/cs146-winter21/</u>
 - Recordings are posted on CCLE.
- Junheng's Zoom Link:
 - https://ucla.zoom.us/j/96240702917?pwd=QzFyWDZlYWpjNy9BSHl50FMyNU1jdz09

Note: You can attend any discussion session (honestly they are at the same time).



Course Grading



• Problem Sets: 50%

- Total 4 problem sets: Math/conceptual questions + programming tasks
- No late submissions

• Weekly Quizzes: 30%

- Math quiz on Week 1, weekly quizzes on Week 2-9
- Lowest quiz score dropped
- One-hour time for completion once the quiz starts

• Final Exam: 20%

• Scheduled on March 15

Reminder: Daylight saving time 2021 in California will begin at 2:00 AM on **Sunday, March 14**!

- All material covered, open book
- Email to inform and confirm with both Prof. Sankararaman and your TA, for any accommodation approved by CAE
- Default grade cutoff







- As required by UCLA chancellor office, CS M146 is entirely online this quarter.
- All teaching activities (lectures, discussion sessions, office hours) will be held virtually through Zoom.
- Please **DO NOT** share the zoom links outside!
- Please **DO NOT** enter the meeting room outside the regular lectures, office hours and discussion time!





Other Questions?



- Enrollment problems on myUCLA
- PTE
- Grading option
- CS145 and/or CS146

Need some help? Check here! https://www.studentincrisis.ucla.edu/Portals/36/Documents/redfolder.pdf



About TA (Myself)



- Fourth-year CS Ph.D. candidate
- UCLA Advisors: Yizhou Sun, Wei Wang (UCLA ScAi Institute, UCLA Data Mining Group)
- Past work experiences: @NEC Labs, @Amazon, @IBM Research AI
- Research interests: Knowledge Graphs, Graph mining, NLP, Bioinformatics, etc.
- Hobbies: Languages (beginner for Spanish and German), tennis, ...
- More about myself: <u>https://www.haojunheng.com/</u>









- Foundational to knowledge-driven AI systems
- Enable many downstream applications (NLP tasks, Recommender, Bioinformatics, etc)



Computational Biology

- 12:00am, Jan. 9: Math quiz released on Gradescope.
- **11:59pm, Jan. 10 (Sunday):** Math quiz closed on Gradescope!
- Jan. 15 (expected): Problem set 1 released on campuswire/CCLE, submission on Gradescope.

Other deadline reminders (Problem sets, Quizzes, etc) will be announced in class and Campuswire, as well as my discussion webpage.

"Machine learning is part of both **statistics** and **computer science**."

-- I don't know who said that.

• Checklist:

- Properties of probability
- Probability spaces (discrete/continuous)
- Probability distributions (discrete/continuous)
- Random variables
- Multivariate probability distributions
- Marginal probability and conditional probability
- Expectation, variance, covariance
- Rules of probability
- Independence and Bayes rule

Math Review: Linear Algebra

- Checklist:
 - Basic calculus $y = x^2, \frac{\delta y}{\delta x} = ?$
 - Gradient calculation in matrix format

• Checklist:

- Vector, matrix
- Norm
- Multiplication
- Useful (special) matrices
- Rank of a matrix
- Matrix inverse
- Eigenvalues and eigenvectors

- Checklist:
 - Convex set and convex functions
 - Gradients
 - Gradient descent
 - *(For SVM)* Quadratic problem and dual problem, duality, KKT condition.

Math Review: Reading List

From the website: <u>http://web.cs.ucla.edu/~sriram/courses/cm146.winter-2019/html/index.html</u> (Details in the links below)

- Review of probability
 - Link 1: <u>http://cs229.stanford.edu/section/cs229-prob.pdf</u>
 - Link 2: <u>https://www.cs.princeton.edu/courses/archive/spring07/cos424/scribe_notes/0208.pdf</u>
- Linear Algebra
 - Link 2: <u>http://cs229.stanford.edu/section/cs229-linalg.pdf</u>
- Optimization
 - Link 1: <u>http://cs229.stanford.edu/section/cs229-cvxopt.pdf</u>
 - Link 2: <u>http://cs229.stanford.edu/section/cs229-cvxopt2.pdf</u>
- Machine Learning Math Essentials by Jeff Howbert from Washington U.
 - Link: <u>http://courses.washington.edu/css490/2012.Winter/lecture_slides/02_math_essentials.pdf</u>

- Notification: Campuswire <u>Post#12</u>.
- You will have up to **60 minutes** to take this exam.
- You can find the exam entry named "Week 1 Math Quiz" on GradeScope.
- There are in total **10 questions** with types of true/false and multiple choices. Note that for multiple-choice questions, it is possible to have one single correct answer and multiple correct answers (select all that apply).
- Quiz release date and time: Jan 08, 2021 (Friday) 05:00 PM PST
- Quiz due/close date and time: Jan 10, 2021 (Sunday) 11:59 PM PST

- Bayes Theorem
 - A patient goes to see a doctor. The doctor performs a test with 99 percent reliability, that is, 99 percent of people who are sick test positive and 99 percent of the healthy people test negative.
 - The doctor knows that only 1 percent of the people in the country are sick (well, obviously this is not COVID-19 in US)
 - If the patient tests positive, what are the chances the patient is sick? Is it 99%?

- Bayes Theorem
 - 99 percent of people who are sick test positive and 99 percent of the healthy people test negative. Only 1 percent of the people in the country are sick.
 - If the patient tests positive, what are the chances the patient is sick?
 - Further question: What is the chance of a false positive result?

	Diseased	Not Diseased	
Test +	99	99	198
Test -	1	9,801	9,802
	100	9,900	10,000

- Matrix Rank
- What is the rank of following matrix? Are they non-singular?

$$A = \begin{bmatrix} 1 & 0 & 1 \\ 2 & 1 & 2 \\ 1 & 0 & -1 \end{bmatrix}$$

$$B = \begin{bmatrix} 2 & 1 & 2 \\ 1 & 0 & 1 \\ 4 & 1 & 4 \end{bmatrix}$$

- Matrix Rank
- What is the rank of following matrix? Are they non-singular?

$$A = \begin{bmatrix} 1 & 0 & 1 \\ 2 & 1 & 2 \\ 1 & 0 & -1 \end{bmatrix} \qquad \qquad B = \begin{bmatrix} 2 & 1 & 2 \\ 1 & 0 & 1 \\ 4 & 1 & 4 \end{bmatrix}$$

- rank(*A*)=3, rank(*B*)=2
- What about the rank of the matrix B+mI (I is identity matrix)?

Practice Exercise 3

• Hessian matrix

$$\mathbf{H}f = egin{bmatrix} rac{\partial^2 f}{\partial x^2} & rac{\partial^2 f}{\partial x \partial y} & rac{\partial^2 f}{\partial x \partial z} & \cdots \ rac{\partial^2 f}{\partial y \partial x} & rac{\partial^2 f}{\partial y^2} & rac{\partial^2 f}{\partial y \partial z} & \cdots \ rac{\partial^2 f}{\partial z \partial x} & rac{\partial^2 f}{\partial z \partial y} & rac{\partial^2 f}{\partial z^2} & \cdots \ dots & dots &$$

$$f(x,y)=x^3-2xy-y^6$$

Practice Exercise 3: Answer

• Hessian matrix

$$\mathbf{H}f = \begin{bmatrix} \frac{\partial^2 f}{\partial x^2} & \frac{\partial^2 f}{\partial x \partial y} & \frac{\partial^2 f}{\partial x \partial z} & \cdots \\ \frac{\partial^2 f}{\partial y \partial x} & \frac{\partial^2 f}{\partial y^2} & \frac{\partial^2 f}{\partial y \partial z} & \cdots \\ \frac{\partial^2 f}{\partial z \partial x} & \frac{\partial^2 f}{\partial z \partial y} & \frac{\partial^2 f}{\partial z^2} & \cdots \\ \vdots & \vdots & \vdots & \ddots \end{bmatrix} \qquad \mathbf{H}f(x, y) = \begin{bmatrix} f_{xx}(x, y) & f_{yx}(x, y) \\ f_{xy}(x, y) & f_{yy}(x, y) \end{bmatrix} = \begin{bmatrix} 6x & -2 \\ -2 & -30y^4 \end{bmatrix}$$

Note: The Hessian matrix is a **symmetric** matrix, since the hypothesis of continuity of the second derivatives implies that the order of differentiation does not matter (Schwarz's theorem).

• Calculus: Chain rule → Later used in Neural Networks!

$f(x)=\cos^3(x)$			
f'(x) = ?			
Choose 1 answer:			
(A) $3\cos^2(x)$			
$\textcircled{B} - \sin^3(x)$			
$\bigodot [1-\sin^2(x)]\cos(x)$			
$\bigcirc -3\sin(x)\cos^2(x)$			

- In next week's discussion, we will discuss:
 - Materials in the first 2 weeks: Decision tree, kNN and linear classification
 - Programming prep: Python, Google Colab, some useful packages (numpy, scikit-learn, matplotlib, etc)
- Useful resources for programming resources
 - Python/Numpy/Matplotlib tutorial: <u>https://cs231n.github.io/python-numpy-tutorial/</u>
 - Scikit-learn: <u>https://scikit-learn.org/stable/tutorial/index.html</u>

Thank you!

Q & A